

Multiply the Matrices

$$\begin{bmatrix} -3 & 3 \\ 1 & 2 \end{bmatrix} \cdot \begin{bmatrix} 1 & 5 \\ -3 & -2 \end{bmatrix} = \begin{bmatrix} -3 \cdot 1 + 3 \cdot -3 & -3 \cdot 5 + 3 \cdot -2 \\ 1 \cdot 1 + 2 \cdot -3 & 1 \cdot 5 + 2 \cdot -2 \end{bmatrix}$$

$$= \begin{bmatrix} -3 + -9 & -15 + -6 \\ 1 + -6 & 5 + -4 \end{bmatrix}$$

$$= \begin{bmatrix} -12 & -21 \\ -5 & 1 \end{bmatrix}$$

Outcome: 10/13/08

Evaluate the determinant
of matrices.

p 198 Example 4

Read the problem

* Sara Palin



	sticks	pucks	uniforms
Women's	14	30	18
Men's	16	25	20

row \times columns
2 \times 3

$$(2 \times 3) (\underline{3} \times \underline{1}) = (2 \times 1)$$

	cost
sticks	60
puck	2
uniforms	35

2nd \rightarrow Matrix (x^{-1}) \rightarrow Edit \rightarrow [A] \rightarrow Enter
 \rightarrow Make it a 2 \times 3 \rightarrow Enter values.

2nd \rightarrow Matrix (x^{-1}) \rightarrow Edit \rightarrow [B] \rightarrow Enter
 \rightarrow 3 \times 1 \rightarrow enter values

[A] [B]

Quit \rightarrow 2nd Matrix \rightarrow Names [A]
 \rightarrow 2nd Matrix \rightarrow Names [B]

[A] [B] \rightarrow enter

	Cost
women's	15 30
men's	17 10

#41 in your book pg. 201.

$$A = \begin{bmatrix} 21 & 16 \\ 40 & 33 \\ 15 & 19 \end{bmatrix}$$

3×2

AB
 $(3 \times 2)(2 \times 3)$

$$B = [650 \quad 825 \quad 1050]$$

1×3

BA
 $(1 \times 3)(3 \times 2)$ (1×2) \uparrow

$[B][A] \quad 1 \times 2$

$[\$62,400 \quad \$57,575]$



Dealer A
profits.



Dealer B
profit.

Determinant of a Matrix

$\det(A)$ or $|A|$

2×2

$$\begin{bmatrix} a & b \\ c & d \end{bmatrix}$$

$n \times n$

dimensions have to match

$$\det \begin{vmatrix} a & b \\ c & d \end{vmatrix} = ad - bc$$

$\begin{bmatrix} 5 & 4 \\ 3 & 1 \end{bmatrix}$ find the determinant

$$\begin{vmatrix} 5 & 4 \\ 3 & 1 \end{vmatrix} = 5 \cdot 1 - 4 \cdot 3 = 5 - 12 = -7$$

↑ matrix A

Quit → 2nd Matrix → MATH → 1: det (
 → [A] ⇒ det([A]) = -7

3x3

$$\begin{vmatrix} a & b & c \\ d & e & f \\ g & h & i \end{vmatrix}$$

$$a \begin{vmatrix} e & f \\ h & i \end{vmatrix} - b \begin{vmatrix} d & f \\ g & i \end{vmatrix} + c \begin{vmatrix} d & e \\ g & h \end{vmatrix}$$

$$a(ei - fh) - b(di - fg) + c(dh - eg)$$

$$\begin{vmatrix} 2 & -1 & -3 \\ 4 & 1 & 0 \\ 3 & -4 & -2 \end{vmatrix} =$$